



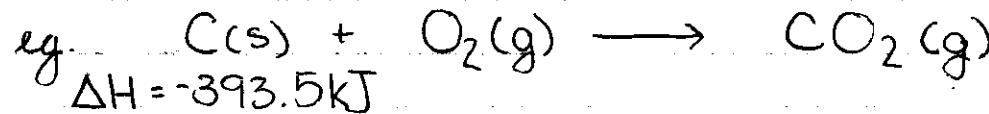
Chemical Potential energy - Enthalpy

ΔH change in enthalpy

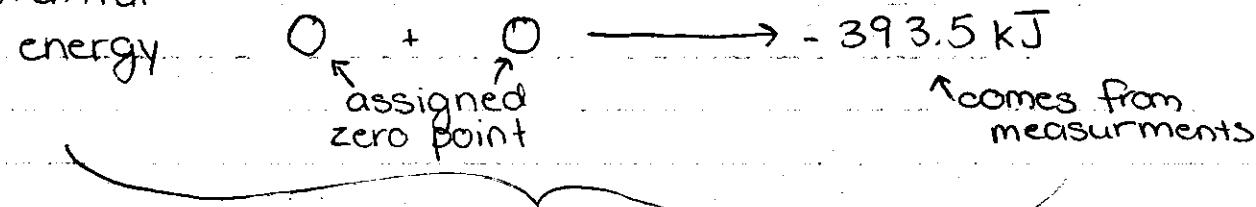
Choice of zero potential energy is important.

- every element in its natural state at standard conditions (25°C and one atmosphere of pressure) is given a zero potential energy
- therefore there are over 100 zero points in thermodynamics.

In order to determine the potential energy of any compound, simply compare its energy to that of its constituent elements.



potential



this is an example of a formation reaction (formation reaction is when compounds are formed directly from its constituent elements...)

UNDERSTAND PAGE 799!!!!

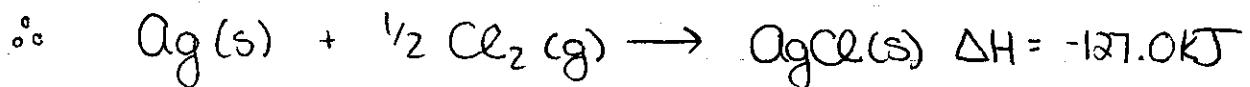
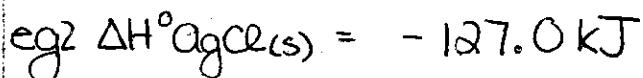
eg Acetone $\Delta H^\circ(\text{CH}_3)_2\text{CO}$

\uparrow heat of formation
enthalpy formula subscript
potential energy pt present

This means two things

- using element zero points, this value is the potential energy of acetone
- $3\text{C(s)} + 3\text{H}_2\text{(g)} + \frac{1}{2}\text{O}_2\text{(g)} \rightarrow (\text{CH}_3)_2\text{CO(l)}$ $\Delta H = -248.1\text{ kJ}$
elements only!
one mole of product ↓

change in
equivalent to the potential enthalpy
energy of acetone because the elements state at zero



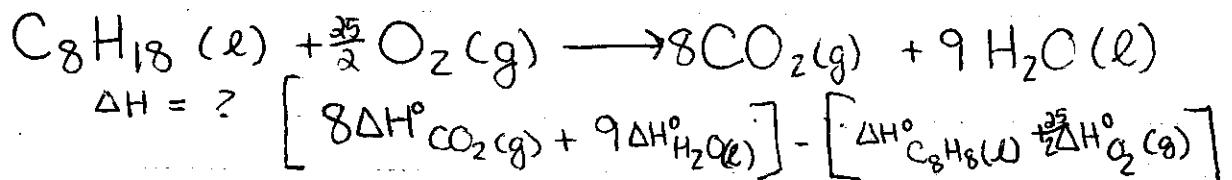
Heat Summation Rule - Hess' law abbreviated
For any reaction

$$\Delta H = [\sum \Delta H^\circ_{\text{products}}] - [\sum \Delta H^\circ_{\text{reactants}}]$$

"the sum of" potential energy

final initial

e.g. the combustion of octane



$$\Delta H = [8(-393.5\text{ kJ}) + 9(-285.8\text{ kJ})] - [-250.1\text{ kJ}] + \frac{25}{2}(0)$$
$$\Delta H = -5470.1\text{ kJ}$$

eg2. alternate use of the heat summation rule.

The heat of combustion for butone is -2877.4 kJ
given: $\Delta H^\circ_{\text{CO}_2(\text{g})} = -393.5 \text{ kJ}$ and $\Delta H^\circ_{\text{H}_2\text{O}(\ell)} = -285.8 \text{ kJ}$
find the heat of formation for butane



$$\Delta H^\circ = -2877.4 \text{ kJ} \quad (\text{change in enthalpy})$$

$$\Delta H = [4\Delta H^\circ_{\text{CO}_2(\text{g})} + 5\Delta H^\circ_{\text{H}_2\text{O}(\ell)}] - [\Delta H^\circ_{\text{C}_4\text{H}_{10}(\ell)} + \frac{13}{2}\Delta H^\circ_{\text{O}_2(\text{g})}]$$

$$-2877.4 \text{ kJ} = [4(-393.5 \text{ kJ}) + 5(-285.8 \text{ kJ})] - [\Delta H^\circ_{\text{C}_4\text{H}_{10}(\ell)} + \frac{13}{2}(0)]$$

$$\Delta H^\circ_{\text{C}_4\text{H}_{10}(\ell)} = -125.6 \text{ kJ}$$